DATA-DRIVEN HYPERPARAMETER OPTIMIZED EXTREME GRADIENT BOOSTING MACHINE LEARNING MODEL FOR SOLAR RADIATION FORECASTING

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Abstract. The uncertainty of the non-conventional sources especially solar energy caused due to spatiotemporal factors like temperature, pressure, relative humidity etc. is continuously disrupting the productivity and reliability of an integrated power system which motivates the researcher or energy industry for strategic forecasting solutions to enhance the proper scheduling and control of solar generation power plants. Several studies have been carried out; but still the objective of achieving accurate forecasting dependent on the spatio- temporal features is not achieved. To address this critical forecasting issue in this research article a hyper parametric tuning of the Extreme Gradient Boosting (XGB) machine learning model has been carried out using two met heuristic algorithms: Moth Flame Optimization (MFO) and Grey Wolf Optimization (GWO). The dataset comprises five years of metrological attributes collected from the National Renewable Energy Laboratory (NREL) for analysis. The validation of the proposed model has been done based on the five statistical errors: Max Error (ME), Mean Absolute Error (MAE), Coefficient of Determination (R^2) , Mean Square Error (MSE) and Root Mean Square Error (RMSE). The regressive assessment of all three models has confirmed that the XGB-MFO model outperformed the others as showing the highest R^2 score of 0.9337, 0.9011, 0.8744 and lowest RMSE values of 76.29 $W \cdot m^{-2}$, $41.90 W \cdot m^{-2}$ and $95.94 W \cdot m^{-2}$ for Global Horizontal Irradiance (GHI), Diffuse Horizontal Irradiance (DHI) and Direct Normal Irradiance (DNI) respectively which ensures the proposed model

implementation for the prediction and production of solar power.

Keywords

Extreme Gradient Boosting, forecasting, Grey Wolf Optimization, Moth Flame Optimization, solar irradiance.

1. Introduction

1.1. Motivation

The consistent availability of energy supply across the nation is essential to a nation's economic prosperity [1]. With the rapid development of technology and urbanization [2], the need for a stable power supply is also increasing proportionally, pushing the power industry to complete shift on the Renewable Energy Sources (RES) in the long run-in order to fulfil the rising power consumption and reduce the greenhouse effect. As per recent International Energy Agency (IEA) analysis, the amount of energy produced via renewable sources surpassed 8,000 TWh in 2021, a record 500 TWh more than in 2020. At the same time hydropower decreased by 15 TWh, and wind and solar Photovoltaic (PV) output climbed by 270 TWh and 170 TWh, respectively.

The growth in worldwide CO_2 emissions in 2021 would have been 220 Mt greater without increased output from nuclear and renewable energy sources [13]. The total installed and pipelined solar capacity of India has been shown in Fig. 1 which depicts the progressive behaviour of the solar energy system [14]. Though the PV system is paving the path for clean energy, its intermittent nature makes its performance highly reliant on the weather and environment [15] and [16]. For the steady and secure integration of green energy sources into the present energy network accurate forecasting techniques have become essential [17] and [18]. Numerical Weather Prediction (NWP), statistical and Machine Learning (ML), and image-based methods are the three primary categories of solar forecasting techniques [19]. The NWP studies the forecasts of irradiance and weather while image-based approaches track and advection clouds using sky cameras, satellite photos, or shadow cameras to anticipate solar irradiance. Statistical and machine learning models 'train' themselves using past data and makes forecasts based on new input variable values. Statistical and ML methods can be used to a variety of time spans, but they are mostly used in hourly forecasting studies. Authors in [20] give an overview of trends in solar forecasting techniques.



Fig. 1: Total installed and pipelined capacity by 31st December 2021, in (MW) [2].

Several researchers have proposed various ML models with default hyperparametric values which provide different prediction outcomes. In the present scenario, the hybridisation of metaheuristic algorithms with the ML model is being carried out to improve the accuracy for the various range of hyperparameters [21] and [22]. Although XGB has a considerably good performing model, the parametric search is essential for the development of the basic structure of any ML model which can be performed by incorporating the optimization methods. To address this hyperparametric search and develop an effective ML model for accurate solar irradiance forecasting, in this research article the hyperparametric tuning of the basic model of the XGB regressor has been performed by hybridization of the two optimization algorithms namely mothflame optimization and grey wolf optimization method based on the 5 years dataset taken from NREL.

1.2. Status Quo of Solar Forecasting Using AI

Over the last few decades, many attempts have been made to forecast Solar Radiation using different sorts of empirical models, such as cloudiness-based models [23], sunshine-based models [24], and hybrid models that estimate global solar radiation by incorporating other meteorological factors. It has been predicted using ANN [25] and SVM [26] and the recent studies have been tabulated in Tab. 1.

1.3. Contributions to the Paper

The main objectives of our study are:

- 1. To create and analyze the XGB model for forecasting solar radiation utilizing web-based data, including.
- 2. To optimize the hyper parameters of the XGB model using MFO and GWO algorithms.
- 3. To compare all the three machine learning models accuracies and to find the best model among them for solar forecasting.

The remaining section of the research article has been structured as follows: Sec. 2. illustrates the dataset used and proposed methodology applied while the description of the algorithms incorporated has been briefly explained in Sec. 3. Section 4. describes the performance metrics used for the determination of the best model and Sec. 5. briefly explains the overall result analysis of all the ML models. Finally, the article has been concluded with the future scope in Sec. 6.

2. Methodology

2.1. Site Selection

As per the City Mayors Foundation, Jamshedpur, with coordinates (22°47'33 "N, 86°11'03 "E) is the 84th fastest-rising city globally. The Indian Meteorological Department Centre in Ranchi reports that Jamshedpur was the state's hottest location in 2022, with a scorching temperature of up to 43 °C [27]. Temperatures range from a minimum of 5 °C in winter to a maximum of about 43 °C in summer, and the average temperature of Jamshedpur is 25.7 °C [28].

Authors	Objective	Solution
Jebli et al. [3]	ML models with the Pearson coefficient used to predict the real-time	Linear Regression (LR), Sup-
	and shot time solar power.	port Vector Regression model
		(SVR), Random Forest (RF),
		Multilayer Perceptron (MLP)
Kumari et al. [4]	An ensemble XGB-DNN method proposed for the estimation	Extreme Gradient Boosting
	of the GHI on an hourly basis	(XGB), Deep Neural Network
		(DNN)
Trizoglou, et al. [5]	Authors have applied the XGB and LSTM in association with	XGB, Long Short-Term Mem-
	the SCADA system of wind turbines for forecasting of faults and re-	ory (LSTM)
	duce the operation and maintenance cost.	
Lee et al. [6]	An ensemble technique for forecasting the solar radiation for a short	Ensemble Method Bagged-
	duration used which shows more reliable outputs as compared to indi-	Trees, Boosted-Trees, RF,
	vidual ML models.	Support Vector Machines
		(SVM), Gaussian Process
		Regression (GPR)
Massaoudi et al. [7]	A Stacking method used to combine the three ML models (XGB-	Stacking (XGB-LGBM-MLP)
	LGBM-MLP) to forecast the grid load for short duration.	
Mokbal et al. [8]	Extreme Gradient Boosting Cross-Site Scripting (XGBXSS) method	XGB, Grid Search
	used for detecting the Cross-Site Scripting attacks where XGB has	
	been applied with the feature selection and a recursive optimization.	
Fan et al. [9]	ML models were used to predict the transpiration of daily maize and it	XGB, Artificial Neural Net-
	was concluded that the DNN model is more efficient for daily maize T	works (ANN), DNN, SVM
	estimate.	
Nguyen et al. [10]	XGB applied to forecast the punching shear resistance of R/C interior	XGB, ANN, RF
	slabs. The designed XGB model's prediction accuracy for punching	
	shear strength was investigated and compared to other machine learn-	
	ing models and empirical models.	
Chia et al. [11]	XGB with met heuristic models i.e. MFO, Whale Optimization Al-	XGB with PSO, MFO, WOA
	gorithm (WOA) and Particle Swarm Optimization (PSO) have been	
	used for evapotranspiration estimation	
Rui Liu et al. [12]	GWO has been incorporated with ML models for groundwater poten-	GWO with RF and SVM
	tial prediction.	

Tab. 1: Literature survey of latest solar forecasted methods.

2.2. Data Pre-processing

The meteorological data is in its raw state and must be pre-processed before it can be used. In the data pre-processing, there is a combination of the following four processes. Figure 2 depicts the workflow for our experiment.

- 1. Data Cleaning: It involves checking for repeated, duplicate, and Not Applicable (NA) entries in the data.
- 2. Data Normalization: Here, all data variables are normalized to a common interval, which is often between 0 and 1. This phase compares the values of numerous variables.
- 3. Feature Extraction: Here, only important features are picked, as including unnecessary features increases data size and slow down a forecasting algorithm's learning speed and accuracy. It is done through Exploratory Data Analysis (EDA) process.
- 4. Data Splitting: The pre-processed dataset is divided into test and training sets and sent to the forecasting phase.



Fig. 2: Methodology of the proposed work.

3. Forecasting Algorithm Used

3.1. Extreme Gradient Boosting (XGB) ML Model

Chen and Guestrin developed the XGB algorithm as a revolutionary implementation approach for Gradient Boosting Machines, namely Regression Trees and K Classification [29]. XGB is designed to avoid over fitting and optimizing computation resources at the same time. During the training phase of XGB, calculations are also performed synchronously and automatically for all the functions. The model's final prediction is calculated as the sum of each model's predictions. The pseudo-code description for XGB is given by Algorithm 3 and the schematic diagram for the XGB algorithm is shown in Fig. 3.



Fig. 3: XGB model.

3.2. Moth Flame Optimization (MFO)

In 2015, author in [30] proposed the MFO algorithm, which was motivated by the mirroring behaviour of moths. These moths employ a peculiar kind of nocturnal triangulation known as transverse orientation, which allows moths to hover in a straight line by remembering the stationary perspective parallel to the moon. Moths float in spiral patterns in the latency of an unreal source of light that is close to the moon by focusing upon the source of light.

$$AM = \begin{pmatrix} AM_1 \\ AM_2 \\ \vdots \\ AM_a \end{pmatrix}.$$
 (5)

Moths and flames are two significant components of the MFO structure. The moths that hover in a deeply engaged, d-dimensional plane act as search mediators. In the **M** matrix, the dwelling is reserved. The fitness value relevant to each month is subsequently stored in array AM. The size of a moth

Algorithm 1 Implementation of XGB.

- Input: Dataset D, X (*Features*) and y (*Target*) loaded with training labelled data, parameters (estimators, learning rate, maximum depth etc.).
 Output: System accuracy in terms of performance metrics.
- 2: Initialize a base model with:

$$f_0(x) = \arg\min_{\gamma} \sum_{i=1}^m L(y_i, \gamma) + \Omega.$$
 (1)

3: while (stopping criterion) do

- 4: **for** t = 1, t + do
- 5: for i = 1 to m do
- 6: Compute residual, r_{it} :

$$r_{it} = -\left[\frac{\partial L\left(y_i, f\left(x_i\right)\right)}{\partial f\left(x_i\right)}\right]_{f-f_i-1}.$$
 (2)

- end for
- for j = 1 to J_t do
- Fit the weak tree to r_{it} .

Compute revised loss function:

$$\gamma_{jt} = \arg\min_{\gamma} \sum_{x_i} L\left(y_i, f_{t-1}\left(x_i\right) + \gamma\right). \quad (3)$$

Update model function:

$$f_t(x) = f_{t-1}(x) + \sum_{j=1}^{J_m} \gamma_{jm} I\left(x \in R_{jm}\right).$$
(4)

- 12: end for
- 13: end for

j

- 14: end while
- 15: Model fitting with training data.
- 16: Model validation with testing data.

and a flame are the same. Moth and flame both function as parts of the algorithmic solution. Flame denotes the moth's ideal position, whereas the moth denotes the hunting agent. Moths revolves around the flames that serve as flag throughout the search process. As a result, both positions are being updated, decreasing the likelihood that one would be lost. According to Eq. (6), the moth's location is updated.

$$M_j = SF\left(M_j, F_j\right),\tag{6}$$

where M_j indicates the j^{th} moths, whereas F_j represents the j^{th} flames and SF is for spiral function which is expressed in Eq. 7.

$$SF(M_j, F_j) = D_j^* e^{bt*} \cos(2\pi t) + F_j,$$
 (7)

where, b is spiral constant, t is the arbitrary value (-1,1) and D_j is j^{th} moth and j^{th} flame Euclidean

distance. D_j is represented as Eq. (8).

$$D_j = |F_j - M_j|. (8)$$

In the initial stage, flames and moths remain to be the exact number, which may reduce the potential of sophisticated solutions to be diverse due to moths' conscious choice of n distinct locations in the quest of room for updating. Eq. (9) is used to update the flames.

$$F_{no} = \operatorname{round}\left(F - j^* \frac{F - 1}{ir_{\max}}O\right). \tag{9}$$

3.3. Grey Wolf Optimization (GWO)

GWO, modelled on the natural hunting tactics of grey wolves is a meta-heuristic optimization technique proposed in 2014 by authors in [31]. Every wolf in GWO symbolizes a search agent (potential solution). GWO classifies the wolves into four categories alpha (α), beta (β), gamma (δ) and omega (ω) by replicating the grey wolf population's hierarchy. The wolves in the first three grades correspond to the current three best solutions. The current three best solutions are represented by the wolves in the first three categories (α , β , δ). The (ω) wolves follow the pack's strongest wolves.

1) Encircling

Grey wolves surround their prey as part of the hunting process. So, the initial phase of the mathematical modelling of the GWO is to surround the target, which may be expressed by the following formulas [16] and [17].

$$\vec{D}_{GW} = \left| \vec{C} \cdot \vec{X}_{GW}^p(t) - \vec{X}_{GW}(t) \right|, \qquad (10)$$

$$\vec{X}_{GW}(t+1) = \left| \vec{X}_{GW}^p(t) - \vec{A} \cdot \vec{D} \right|, \qquad (11)$$

where, \vec{A} and \vec{C} are noted as the coefficient vectors and t is symbolised as the current iterations. \vec{X}_{GW} signifies grey wolf position vector and Prey's position vector is indicated by \vec{X}_{GW}^p whereas, the \vec{D}_{GW} is the vector which depends on \vec{X}_{GW}^p . Computation for the coefficient vectors \vec{A} and \vec{C} are as follows:

$$\vec{A} = 2\vec{a}\cdot\vec{r}_1 - \vec{a},\tag{12}$$

$$\vec{C} = 2 \cdot \vec{r_2},\tag{13}$$

$$\vec{a} = 2 - 2\left(\frac{itr}{itr_{\max}}\right),$$
 (14)

where, $\vec{r_1}$ and $\vec{r_2}$ are random variables in the interval [0, 1] and values of \vec{a} are linearly decreasing from 2 to 0 throughout the span of iterations. Concisely, $\vec{r_1}$ and $\vec{r_2}$ vectors enable wolves to extend to any location. Accordingly, Eq. (13) and Eq. (14) indicates that the grey

wolf may update their position inside the search space (space circling prey) at any random point. The same approach could be employed in a search space with dimension n, where the grey wolves will circle the best outcome thus far in hyper-cubes or hyper-spheres.

2) Hunting

The α usually leads the hunt while the β and δ may occasionally engage in hunting. We postulate that the alpha (best solution), beta, and delta have superior information about the probable location of prey to mathematically imitate the hunting behaviour of grey wolves. Therefore, we reserve the first three best responses. Thus, to compel the other searching agent, along with omegas and to upgrade their positions in accordance with the status of the top search agents. The below mentioned Eq. (15), Eq. (16), Eq. (17) and Eq. (18) are followed for above stated context:

$$\vec{X}_{GW}(t+1) = \frac{\vec{X}_{GW}^1 + \vec{X}_{GW}^2 + \vec{X}_{GW}^3}{3},$$
 (15)

$$\vec{X}_{GW}^1 = \vec{X}_{GW}^\alpha - \vec{A}_1 \cdot \left(\left| \vec{C}_1 \cdot \vec{X}_{GW}^\alpha - \vec{X}_{GW} \right| \right), \quad (16)$$

$$\vec{X}_{GW}^{2} = \vec{X}_{GW}^{\beta} - \vec{A}_{2} \cdot \left(\left| \vec{C}_{2} \cdot \vec{X}_{GW}^{\beta} - \vec{X}_{GW} \right| \right), \quad (17)$$

$$\vec{X}_{GW}^3 = \vec{X}_{GW}^\delta - \vec{A}_3 \cdot \left(\left| \vec{C}_3 \cdot \vec{X}_{GW}^\delta - \vec{X}_{GW} \right| \right).$$
(18)

3) Searching and Attacking Prey

Grey wolves primarily use the (α) , (β) , and (δ) positions to guide their search. They disperse from one another to look for prey and then reassemble to attack it. We use \vec{A} with random values higher than 1 or less than -1 to force the search agent to diverge from the prey to mathematically simulate divergence. This encourages exploration and enables a wide search for the GWO algorithm. As already mentioned, after the prey stops moving, the grey wolves attack it to end the hunt. We lower the value of \vec{a} to mathematically simulate approaching the prey. Keeping in mind the reduction occurring in \overline{A} may also decrease by \vec{a} . In other respects, \vec{a} decreases from 2 to 0 throughout the duration of iterations, and \vec{A} is a random number in the range [2a, 2a]. \vec{A} search agent's future position may be anywhere between its present position and the prey's position when random numbers of A are in the range [1, 1].

4. Performance Parameters

To quantify the performance and their variation from the real value for the ML models, we provide Algorithm 2 Pseudo code of GWO.

- Input: Wolf Population (N), A, a, and C.
 Output: Optimal solution (R₂).
- 2: Fitness Calculation of search agent (i.e Grey wolves).
 - \bar{X}^{α}_{GW} best optimal solution (search agent).
 - \vec{X}_{GW}^{β} second best optimal solution (search agent).
- \vec{X}_{GW}^{δ} third best optimal solution (search agent).
- 3: while $(itr < itr_{max})$ do
- 4: **for** i = 1, 2, 3, ... N **do**
- 5: **Update** current position using Eq. (18).
- 6: end for
- 7: Update \vec{A} , \vec{a} , and \vec{C} .
- 8: Fitness Calculation of search agent.
- 9: Update \vec{X}_{GW}^{α} , \vec{X}_{GW}^{β} and \vec{X}_{GW}^{δ} .
- 10: itr = itr + 1.
- 11: end while
- 12: return \vec{X}^{α}_{GW} .

several common statistical metrics. The difference between the estimated (or anticipated) and actual output parameter is known as the deviation sometimes referred to as the errors or residue. For example, the error for GHI can be expressed as:

$$\delta = GHI_{obs} - GHI_{pred} . \tag{19}$$

These can be used to assess the degree of divergence and correlation between the predicted and actual data. Figure 4 depicts the expressions for forecasting the effectiveness of ML models in our research.



Fig. 4: Performance Evaluation parameter used in our work.

5. Results and Discussion

The objective of the study is to develop an optimized system for forecasting solar irradiance using the XGB model for the selected region, as well as two optimization techniques have been incorporated to optimize the parameters of the XGB to enhance the performance of prediction. Numerous research papers have been published about the study of this kind of model. Due to the complexity of the time series and the accumulation of forecasting mistakes, it is still difficult to determine how to best optimize the XGB model, using the met heuristic optimization techniques for the prediction of solar irradiation.

Hence, two hybrid model XGB-MFO and XGB-GWO have been analysed for the forecasting purpose. Initially the 70 % of dataset i.e., training data has been used for the training the two hybrid models and the functions built into the system are evaluated by comparing the forecasted results to the real outcomes based on statistical errors. This validates the recommended methodological approach used. On the validation dataset, which includes 30 % of the dataset, five evaluation metrics MAE, MSE, RMSE, ME and \mathbb{R}^2 score is utilised to determine the best hyper parametric optimized model. The model with the lowest error and highest accuracy is finally noted as the best predictive model.

It's crucial to keep in mind that the population size of each hybrid model varies and changing this parameter's value will have an immediate impact on the model's running duration and ability to identify the overall best solution. A large population will greatly lengthen the running time, which will make it difficult to apply the models to engineering problems, while a small population would result in unstable fitness values. Five population sizes - 50, 100, 150, 200 and 500 were used in this study to construct the two hybrid models.

The whole system has been designed using Python language where the system has been trained for 3 years and validated for the next 1 year i.e., 35,078 entries have been used for model training and 4,922 entries applied for validating the model to obtain the optimum result.

5.1. Performance of XGB ML Model

Tab. 2: Selected values for XGB Hyper-parameters.

Sl. No.	l. No. Description			
1	Maximum no. of trees	100		
2	Maximum depth	5		
3	Learning rate	0.001		

	MAE	MSE	RMSE	ME	R^2 s	score
	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	Train	Test
GHI	38.144	6449.03	80.30	791.74	0.9720	0.9278
DHI	25.265	2317.48	48.14	363.31	0.9611	0.8751
DNI	50.471	9318.99	96.53	692.92	0.9189	0.8527

 ${\bf Tab. \ 3:} \ {\rm Performance \ evaluation \ parameters \ outcomes \ for \ XGB \ without \ optimization.}$

Generally subsampling happens once for every tree in XGB. Increasing the depth of the tree makes the model more complicated and prone to over fitting.

To prevent over fitting, step size shrinking is employed in the weight update with the help of learning rate. We may immediately obtain the new weights of the features after each boosting step, and the learning rate, here, lowers the weights of the feature to make the boosting method more conservative. The parameters selected for the analysis the XGB model without optimization has been shown in Tab. 2 where hyper parameters has been fixed.

The evaluation parameters obtained using the selected hyper parametric values have been tabulated in Tab. 3 which shows the higher error values for DNI than GHI and DHI while the R^2 score of GHI is approximately 8 % higher as compared to the DHI and DNI parameter. The efficiency of the model can be improved using the proper parameters of the XGB model.

To optimize the model, the range of various internal parameters of the XGB has been taken as shown in Tab. 4 which will be optimized using the two optimization methods i.e., MFO and GWO. The iteration for both optimization methods has been fixed to 100 to analyse the effect of increasing the population size. The evaluation parameters for determining the effect of the MFO and GWO optimization on the XGB model has been shown in Tab. 5 and Tab. 6, where all the five parameters for the target variable GHI, DHI and DNI have been calculated for the various population size to check the best population of the naturebased algorithm with respect to the fixed iteration count. The best values for each parameter have been highlighted in bold which shows that the model has been optimized as the statistical errors have been reduced and the accuracy of the model has been considerably improved. The graphical representation of the accuracy of the XGB-MFO model for various population sizes has been shown in Fig. 5.

Tab. 4: Selected values for XGB hyper-parameters.

Sl. No.	Description	Upper bound	Lower bound
1	Maximum no. of trees	100	1000
2	Maximum depth	5	50
3	Learning rate	0.001	0.1

Additional testing of the novel approach will be necessary for data derived from weather forecasts. However, the model must employ predicted weather information to be useful. The model would be especially helpful for applications on a wider scale (i.e., county, or regional scale). This is possible due to the ability to smooth out the quick change in local meteorological conditions that causes the intra-hourly fluctuation in solar irradiance. Larger-scale PV output tests in conjunction with anticipated weather data encourage the proper use of the proposed model.



Fig. 5: R² score analysis using XGB-MFO (100 iterations).

5.2. Comparative Analysis

In this section, all three models i.e., XGB, XGB-MFO and XGB-GWO are compared with the best parameters to identify the well-suited ML model for forecasting solar irradiance. The overall best comparative performance analysis has been represented in Tab. 7, which shows that the XGB-GWO has an accuracy of 0.63 %, 2.88 % 2.48 % and XGB-MFO has 0.53 %, 2.73 % and 2.40 % accuracy more than that of the unoptimized XGB model for GHI, DHI and DNI respectively. The RMSE values have also been reduced by 4.98 %, 12.94 %, 0.61 % using XGB-GWO and 4.35 %, 12.31 % and 0.30 % using XGB-MFO predicted model for the three target parameters which clearly signifies the contribution the meta-heuristic algorithms with the ML models. The corresponding population sizes were 100, 200 and 150 which shows the importance of the proper selection of population sizes. The best outcomes in the table have been highlighted. Overall, we can state that XGB-GWO outperforms the other two models for the given datasets and location. The comparative analysis has also been represented in Fig. 6.

	Itorations	Population	MAE	MSE	RMSE	ME	R ² s	core
	Iterations	size	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	Train	Test
		50	33.8953	5947.45	77.0114	726.15	0.9611	0.9314
		100	33.4033	5899.41	76.8076	738.05	0.9678	0.9328
GHI	100	150	32.8728	5939.38	77.0674	748.90	0.9744	0.9323
		200	33.2459	5983.11	77.3505	743.24	0.9584	0.9318
		500	33.2469	6023.76	77.6128	750.95	0.9514	0.9314
	100	50	20.1519	1841.72	42.9153	361.75	0.9459	0.8963
		100	20.0928	1834.19	42.8274	364.53	0.9384	0.8968
DHI		150	20.8935	1859.86	43.1260	361.86	0.9368	0.8953
		200	20.7235	1781.66	42.2097	349.77	0.9637	0.8997
		500	20.1217	1838.93	42.8827	365.12	0.9432	0.8965
	100	50	48.7757	9258.24	96.2197	683.43	0.9602	0.8736
DNI		100	49.0448	9276.45	96.3143	694.41	0.9401	0.8735
		150	48.9292	9262.21	96.2404	693.43	0.9498	0.8737
		200	49.3427	9377.84	96.8392	699.48	0.9340	0.8721
		500	49.6549	9446.23	97.1917	697.78	0.9319	0.8712

Tab. 5: Performance evaluation parameters outcomes for XGB-MFO.

Tab. 6: Performance evaluation parameters outcomes for XGB-GWO.

	Itorations	Population	MAE	MSE	RMSE	ME	R ² s	core	
	Iterations	size	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	Train	Test	
		50	33.4417	5823.47	76.3117	705.48	0.9822	0.9336	
		100	33.0237	5821.60	76.2994	685.70	0.9884	0.9337	
GHI	100	150	33.70866	5906.59	76.8543	739.83	0.96533	0.9327	
		200	32.7415	5944.24	77.0988	747.75	0.9613	0.9323	
		500	32.97887	5978.46	77.3205	747.09	0.9604	0.9319	
	100	50	19.8547	1805.28	42.4886	361.32	0.9651	0.8984	
		100	19.9677	1829.09	42.7679	363.31	0.9481	0.8979	
DHI		150	20.74984	1843.34	42.9342	356.59	0.9441	0.8962	
		200	20.46198	1756.35	41.9088	352.06	0.9788	0.9011	
		500	20.1074	1785.00	42.2493	357.94	0.9613	0.8995	
	100	50	48.5425	9058.75	95.1774	673.65	0.9674	0.8739	
			100	48.9012	9241.05	96.1304	687.33	0.9479	0.8740
DNI		150	48.8938	9205.37	95.9446	671.52	0.9612	0.8744	
		200	48.9643	9244.79	96.1498	690.55	0.9434	0.8739	
		500	49.0030	9392.69	96.9159	692.02	0.9308	0.8719	

Tab. 7: XGB models comparative analysis.

	ML	MAE	MSE	RMSE	ME	R ² s	core
	models	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	$(W \cdot m^{-2})$	Train	Test
	XGB	38.1442	6449.03	80.3058	791.74	0.9720	0.9278
GHI	XGB-MFO	33.4033	5899.41	76.8076	738.05	0.9678	0.9328
	XGB-GWO	33.0237	5821.60	76.2994	685.70	0.9884	0.9337
	XGB	25.2654	2317.48	48.1402	363.31	0.9611	0.8751
DHI	XGB-MFO	20.7235	1781.66	42.2097	349.77	0.9637	0.8997
	XGB-GWO	20.46198	1756.35	41.9088	352.06	0.9788	0.9011
DNI	XGB	50.4714	9318.99	96.5349	692.92	0.9189	0.8527
	XGB-MFO	48.9292	9262.21	96.2404	693.43	0.9498	0.8737
	XGB-GWO	48.8938	9205.37	95.9446	671.52	0.9612	0.8744



Fig. 6: Comparative analysis of all models based on \mathbb{R}^2 score.

6. Conclusion

The prediction of accurate solar irradiance is very useful for the forecasting of solar energy. The main goal of these techniques is to modify the XGB's combination of hyper parameters using most prominent optimization algorithms, such as GWO, and MFO, to increase the prediction accuracy which can be useful for engineering practise. As a result, in this study, the XGB-MFO and XGB-GWO hybrid models have been created. Five statistical parameters were chosen to assess the consistency between the actual value and the forecasted value to examine the performance of each hybrid model. An unoptimized XGB model was also developed, verified, and trained using the NREL historical datasets to evaluate the performance of the two optimization techniques. The experimental findings show that both in the training stage and the test stage, the two XGB-based hybrid models performed much better than the unoptimized XGB model.

The two hybrid models' prediction accuracy exceeded 0.9 during testing, particularly the XGB-GWO model (for GHI, R^2 score: 0.9337; MSE: 5821.60; RMSE: 76.2994; ME: 685.70; MAE: 33.0237), whose prediction accuracy reached 0.93 which ensures the proposed model applicability for the further forecasting purpose.

Author Contributions

M.K. has collected and analysed the data along with computation and mathematical modelling for the methodology adopted. K.N. supervised the project and formatted the manuscript. N.K. has worked in optimization technique formulation and assisted in editing and formulating the manuscript.

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